# Thixotropy vs wall slip in suspensions

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## Papers:

- Dullaert, Mewis: Thixotropy: Build-up and breakdown curves during flow (JoR, 2005)
  - Claimed the first robust stress measurement of the thixotropic system
  - Introduced de-embedding of rheometer's transfer function from the output data
- Dullaert, Mewis: A model system for thixotropy studies
  (Rheol Acta, 2005)
  - Detailed description on the previous 'robust thixotropic system'
  - Covered various issues which was problematic for previous researches and was reduced with their new compound
  - Covered wall-slip phenomenon and remedy for it

## Experiments about thixotropy

#### Difficulties in experiments

- □ While there are various models & theories about thixotropy, there are few reliable experimental datasets
- Primary reason for this is the difficulties involved in measuring thixotropic system with enough accuracy

#### Main objective of this paper

 Building robust thixotropic system which supports repeatible & reliable measurements

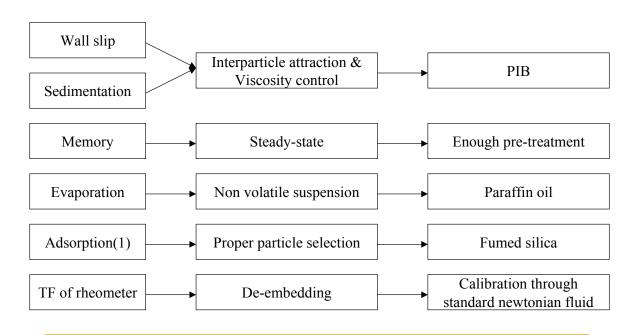
## Recall:

- Definition of thixotropy in this paper
  - □ Change of floc structure resulting in varying viscosity
  - Does not necessarily include viselasticity

## Why is measurement difficult?

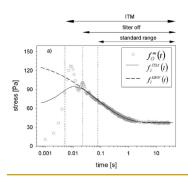
- Implemental artifacts
  - Wall slip
  - Heterogeneous shear rates
  - Gap size effect
  - □ Rheometer's transfer function
  - Memory of floc's microstructure
  - Evaporation of solvents
  - Particle sedimentation, change in particle's wetting property, adsorption

#### Plan

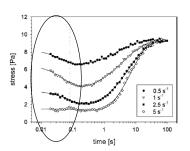


## Specifications:

- Rheometer:
  - MCR300 stress controlled Rheometer
    - 12.5mm plate with 0.035 / 0.07 rad (sand blasted to reduce slip)
  - □ ARES rate controlled Rheometer
    - 12.5mm plate with 0.04 rad
  - Rheometer's transfer function was de-embedded in JoR paper



$$H(s) = \frac{F_O^{me}(s)}{F_I(s)} = \frac{\sum_{i=0}^c a_i s^i}{\sum_{j=0}^d b_j s^j}$$



# Specifications:

- Thixotropic system
  - □ Fumed silica particles Aerosil R972
    - Transparent, availability in wide range of surface treatments
    - Hydrophobic, 16nm particles
  - □ Paraffin oil Riedel-de Ha e n 18512
    - Non-volatile, 0.16pa s viscosity
  - □ PIB (Poly(isobutylene)) is added to control viscosity & particle interaction: 27wt%
    - 45pa s own viscosity, 0.65pa s total viscosity
  - □ Volume fraction of particle : 2.5vol% ~ 3.0vol%
    - Upper limit : wall slip & yielding
    - Lower limit : sedimentation & weakness

#### Effect of PIB:

- Drastic change in viscosity
- System's recovery time also changes significantly

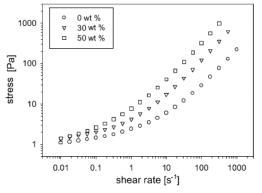


Fig. 1 Effect of PIB on the flow curve of a 1.5 vol% fumed silica dispersion in a mixture of paraffin oil and PIB

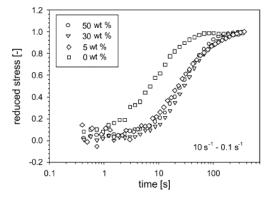
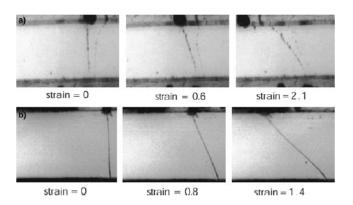


Fig. 2 Effect of PIB on the build-up behaviour after a stepwise reduction in shear rate from 10 s $^{-1}$  to 0.1 s $^{-1}$  on a 1.5 vol% fumed silica dispersion in a mixture of paraffin oil and PIB

# Effect of PIB: Slip

#### Preparation :

- □ 25s<sup>-1</sup> for 200sec to ensure steady state
- □ TiO<sub>2</sub> powder was used as a marker



Without PIB add

With PIB add

## Effect of temperature & humidity:

- High temperature changes the adsorption of PIB to silica
- Humidity highly affects the yield stress

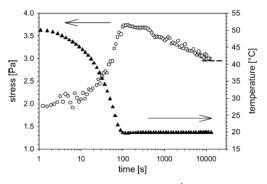


Fig. 3 Stress evolution at a shear rate of 0.1 s $^{-1}$  during a quenching experiment from an initial temperature of 50°C to 20°C at constant relative humidity on a 1.5 vol% fumed silica dispersed in paraffin oil and PIB (50 wt%)

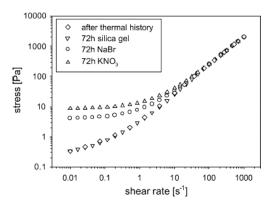


Fig. 5 Effect of thermal history and relative humidity of environment on the flow curve of a 2.7 vol% dispersion of fumed silica in a mixture of paraffin oil and PIB (30 wt%)

## Test result:

□ KWW, aka stretched exponential model (1970)

## Effect of de-embedding

Constant λ curve

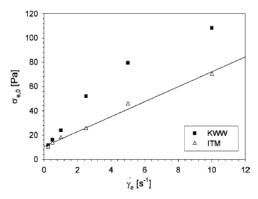
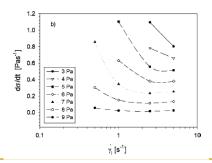


FIG. 6. Constant  $\lambda$  curve for an initial shear rate of 0.05  $s^{-1}$  obtained with either the standard procedure ( $\blacksquare$ ) or the present one ( $\triangle$ ).

## Model evaluation

- Prove or disprove the predictive ability of major models :
  - □ Cheng's constitutive + single kinetic model (1965)

$$\frac{\sigma(t) = F[\dot{\gamma}(t), \lambda(t)]}{d\lambda(t)/dt = G[\dot{\gamma}(t), \lambda(t)]} \xrightarrow{d\sigma} \frac{d\sigma}{dt} = \frac{\delta F}{\delta \lambda} G(\dot{\gamma}_e, \lambda) = h(\dot{\gamma}_e, \lambda).$$



## Model evaluation

- Prove or disprove the predictive ability of major models :
  - □ Houska's 1D model (2002)

$$\sigma(\dot{\gamma},t) = \lambda \sigma_{v,0} + \lambda K_{st,0} \dot{\gamma}^n + K_{\infty} \dot{\gamma}^n$$

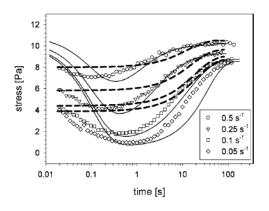
$$\frac{d\lambda}{dt} = -k_1 \dot{\gamma}^a \lambda + k_3 (1 - \lambda)$$

□ Coussot's model (1993)

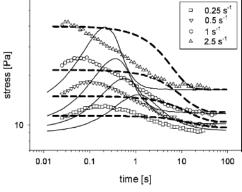
$$\sigma(\dot{\gamma}, t) = \sigma_{el}(\dot{\gamma}, t) + \eta_{\infty}\dot{\gamma}.$$

$$\frac{1}{G_0}\frac{d\sigma_{el}}{dt} + \frac{\lambda^{-n}-1}{n}\frac{\sigma_{el}}{\eta_{st,0}} = \dot{\gamma}.$$

## Model evaluation



Build up test from 1/s ( Dashed – Houska, solid – Coussot )



Break down test from 0.1/s ( Dashed – Houska, solid – Coussot )

## Conclusion

- Reliable & robust thixotropic system was achieved ( at least, they say so )
- Major ideas were :
  - De-embedding of rheometer's transfer function
  - □ Adding of PIB for viscosity & interparticle attraction reduction
- Model evaluation was tried for single exponential model, Houska's 1D model and Coussot model
  - □ Showed evidence why single exponential can't work
  - □ Compared strength & weakness of Houska / Coussot model